### 6.035 Infosession 4

## Up to This Point: Compiler

- We built a compiler!

- What's next?


## From Now On: Optimizing Compiler

- Optimize program: make programs faster, smaller, more energy efficient



## From Now On: Optimizing Compiler

- Transformations:
- Move, remove, and add instructions
- Or basic blocks, functions, variables
- Ensure: semantics remains the same
- Task of program analysis
- Apply transformation only when it's safe
- Both regular and irregular conditions


## Optimization

- Previous Pass: Generates Control Flow Graph
- Iterate:
- Control Flow Analysis
- Data Flow Analysis
- Transform Control Flow Graph
- Previous Pass: Generates Assembly Code


## Control Flow Analysis

- Construct basic blocks from Instruction-level CFG
- Find blocks that always execute before/after other blocks
- Keep track of structure of programs:
- Conditionals
- Loops
- Function calls


## Data Flow Analysis

- Gathers information about values calculated at locations of interest within a function
- Within basic block: e.g., value numbering
- Symbolic execution of the basic block
- Global: beyond basic block - how control flow affects the sets of data
- Transfer function: OutSet = transfer(generated_set)
- Confluence Operator: InSet = confluence(previous_set)


## Transformations: Peephole

- Within a single basic block:
- Sequential code only
- Finds a better sequence of operations
- Examples:
- (Local) Common subexpression elimination, constant folding
- Algebraic simplifications
- Dead code elimination


## Transformations: Intraprocedural

- Beyond a single basic block
- Can use temporaries created in different basic blocks
- Can move instructions beyond basic block boundaries
- Examples:
- Global CSEE, constant folding
- Dead store elimination
- Loop optimizations
- Invariant code motion


## Dataflow Analysis: Worklist Algorithm

## Initialize InSet, OutSet;

Analyze the Entry Node:
Compute InSet[EntryNode], OutSet[EntryNode]
Initialize Worklist (to Entry node or its successors)
while (Worklist != Empty) \{
Choose a node $\mathbf{n}$ in Worklist;
Worklist = Worklist - $\{\mathbf{n}\}$;

OldOutSet_n = OutSet[n]
Compute InSet[n] and OutSet[n]

- Use Use predecessor information
- Gen/Kill Sets
if (OldOutSet_n != OutSet[n])
Update worklist
\}


## Available Expressions

- An expression $x+y$ is available at a point $p$ if
- every path from the initial node to $p$ must evaluate $x+y$ before reaching $p$,
- and there are no assignments to $x$ or $y$ after the evaluation but before $p$.
- Available Expression information can be used to do global (across basic blocks) CSE
- If expression is available at use, no need to reevaluate it


## Available Expressions

- Expressions:
- $z=x$ op $y$
- $\mathrm{Z}=\mathrm{X}$
- x cmp y
- Each basic block has
- InSet- set of expressions available at start of block
- OutSet - set of expressions available at end of block
- GEN - set of expressions computed in the block
- KILL - set of expressions killed in the block
- Compiler scans each basic block to derive GEN and KILL sets


## Available Expressions

Dataflow Equations:

- Forward Analysis: Starts from Entry of the function
- IN[entry] = AllEmpty
- $\operatorname{IN}[b]=$ OUT[b1] $\cap \ldots \cap$ OUT[bn]
- where b1, ..., bn are predecessors of $b$ in CFG
- OUT[b] = (IN[b] - KILL[b]) U GEN[b]
- Result: system of equations


## Worklist Algorithm: Available Expressions

Initialize InSet, OutSet;

## Analyze the Entry Node:

Compute InSet[EntryNode], OutSet[EntryNode] Initialize Worklist (to Entry node or its successors)
while (Worklist != Empty) \{
Choose a node $\mathbf{n}$ in Worklist;
Worklist = Worklist - $\{\mathbf{n}\}$;

OldOutSet_n = OutSet[n]
Compute InSet[n] and OutSet[n]

- Use Use predecessor information
- Gen/Kill Sets
if (OldOutSet_n != OutSet[n]) Update Worklist


## For node n

OutSet[n] = AllExpressions;

InSet[EntryNode] = emptyset;
OutSet[EntryNode] = GEN[Entry];
Worklist= AllNodes - Entry \};

> InSet[n] = AllExpressions;
for all nodes $p$ in predecessors( $n$ )
$\operatorname{InSet}[n]=\operatorname{InSet}[n] \cap$ OutSet[p];

OutSet[n] = GEN[n] U (InSet[n] - KILL[n]);

> for all nodes $s$ in successors(n) $$
\text { Worklist }=\text { Worklist <- } \mathrm{s} \text {; }
$$

## Worklist Algorithm: Available Expressions

Initialize InSet, OutSet;

## Analyze the Entry Node:

Compute InSet[EntryNode], OutSet[EntryNode] Initialize Worklist (to Entry node or its successors)
while (Worklist != Empty) \{
Choose a node $\mathbf{n}$ in Worklist;
Worklist = Worklist - $\{\mathbf{n}\}$;

OldOutSet_n = OutSet[n]
Compute InSet[n] and OutSet[n]

- Use Use predecessor information
- Gen/Kill Sets
if (OldOutSet_n != OutSet[n]) Update Worklist


## For node n

OutSet[n] = AllExpressions;

InSet[EntryNode] = emptyset;
OutSet[EntryNode] = GEN[Entry];
Worklist= AllNodes - Entry \};

> InSet[n] = AllExpressions;
for all nodes $p$ in predecessors( $n$ )
$\operatorname{InSet}[n]=\operatorname{InSet}[n] \cap$ OutSet[p];

OutSet[n] = GEN[n] U (InSet[n] - KILL[n]);

> for all nodes $s$ in successors(n) $$
\text { Worklist }=\text { Worklist <- } \mathrm{s} \text {; }
$$

## Use of Analysis in Global CSEE

- Available Expression information can be used to do global CSE
- If expression is available at use, no need to reevaluate it
- Create a temporary variable t
- At computation site - assign t with expression:

$$
\begin{aligned}
& a=\exp ; \\
& t=a
\end{aligned}
$$

- At use site - if expression is available replace it with $t$


## Examples

Expressions
1: x+y
2: $i<n$
3: i+c
4: $x==0$


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## Global CSE Transform

Expressions
1: $\mathrm{x}+\mathrm{y}$
2: $i<n$
3: i+c
4: $x==0$
must use same temp for CSE in all blocks


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## Global CSE Transform

Expressions
1: x+y
2: $i<n$
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must use same temp for CSE in all blocks


Warm-up
void main ( ) \{
int $a, b, c, d ;$
a = 2; b = 3;
c = 0; d = 0;

$$
\begin{aligned}
& c=a+b ; \\
& d=a+b ;
\end{aligned}
$$

\}

## Globals

int $a, b, c, d$;
void main () \{

$$
\begin{aligned}
& a=2 ; b=3 ; \\
& c=0 ; d=0 ;
\end{aligned}
$$

$$
c=a+b ;
$$

$$
d=a+b ;
$$

\}

## Arrays

$$
\begin{aligned}
& \text { void main( ) \{ } \\
& \text { int } a[10] \text {; } \\
& \text { int } i, x ; \\
& i=\ldots ; \\
& a[i]=1 ; \\
& a[i]=a[i]+1 ; \\
& \}
\end{aligned}
$$

## Algebraic Transformations

$$
\begin{aligned}
& \text { void main }()\{ \\
& \qquad \begin{array}{l}
\text { int } a, b, c, d ; \\
a=2 ; b=3 ; \\
c=0 ; d=0 ;
\end{array} \\
& \begin{array}{l}
c=a+b ; \\
d=a+1+b ;
\end{array} \\
& \}
\end{aligned}
$$

## Grading Info

- Total: 45 points
- Testing: 50\%
- You implemented all required optimizations
- Produce correct output for test cases
- Derby performance: 30\%
- Documentation: 20\%

